OrderRex: clinical order decision support and outcome predictions by data-mining electronic medical records

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ABSTRACT

Objective: To answer a “grand challenge” in clinical decision support, the authors produced a recommender system that automatically data-mines inpatient decision support from electronic medical records (EMR), analogous to Netflix or Amazon.com’s product recommender.

Materials and Methods: EMR data were extracted from 1 year of hospitalizations (>18K patients with >5.4M structured items including clinical orders, lab results, and diagnosis codes). Association statistics were counted for the ~1.5K most common items to drive an order recommender. The authors assessed the recommender’s ability to predict hospital admission orders and outcomes based on initial encounter data from separate validation patients.

Results: Compared to a reference benchmark of using the overall most common orders, the recommender using temporal relationships improves precision at 10 recommendations from 33% to 38% (P < 10^-10) for hospital admission orders. Relative risk-based association methods improve inverse frequency weighted recall from 4% to 16% (P < 10^-10). The framework yields a prediction receiver operating characteristic area under curve (c-statistic) of 0.84 for 30 day mortality, 0.84 for 1 week need for ICU life support, 0.80 for 1 week hospital discharge, and 0.68 for 30-day readmission.

Discussion: Recommender results quantitatively improve on reference benchmarks and qualitatively appear clinically reasonable. The method assumes that aggregate decision making converges appropriately, but ongoing evaluation is necessary to discern common behaviors from “correct” ones.

Conclusions: Collaborative filtering recommender algorithms generate clinical decision support that is predictive of real practice patterns and clinical outcomes. Incorporating temporal relationships improves accuracy. Different evaluation metrics satisfy different goals (predicting likely events vs. “interesting” suggestions).

Keywords: clinical decision support systems, electronic health records, data-mining, recommender algorithms, collaborative filtering, practice guidelines, practice variability, order sets

BACKGROUND AND SIGNIFICANCE

Variability and uncertainty in medical practice compromise quality of care and cost efficiency. Knowledge is inconsistently applied, such as 25% of patients with a heart attack not receiving the aspirin they should and overall compliance with evidence-based guidelines ranging from 20% to 80%.1 A majority of clinical decisions (e.g., a third of surgeries to place pacemakers or ear tubes) lack adequate evidence to support or refute their practice.1 Even with disruptive reforms,2 evidence-based medicine from randomized control trials cannot keep pace with the perpetually expanding breadth of clinical questions. Medical practice is thus routinely driven by individual expert opinion and anecdotal experience. The advent of the meaningful use era of electronic medical records (EMRs)3 creates a new opportunity for data-driven clinical decision support (CDS) that utilizes the collective expertise of many practitioners in a learning health system.4–8

CDS tools such as order sets already help reinforce consistency and compliance with best practices.9,10 but CDS production is limited in scale by a top-down, knowledge-based approach requiring the manual effort of human experts.11 One of the “grand challenges” in CDS12 is thus the automatic production of CDS from the bottom-up by data-mining clinical data sources. Instead of consulting individual experts for advice, a data-driven approach would allow us to effectively consult every practitioner, learning how they all care for their similar patients on a statistical average.

OBJECTIVE

Inspired by analogous information retrieval problems in recommender systems, collaborative filtering, market basket analysis, and natural language processing, we sought to automatically generate CDS content in the form of a clinical order recommender system13,14 analogous to Netflix or Amazon.com’s “customers who bought A also bought B” system.15 While a clinician may consider a broad differential diagnosis of possibilities or the risks and benefits of many interventions, clinical orders (e.g., labs, imaging, medications) are the concrete manifestations of point-of-care decision making. Our broad vision is to seamlessly integrate a system into clinical order entry workflows that automatically infers the relevant clinical context based on data already in the EMR and provides actionable decision support in the form of clinical order suggestions. Prior approaches to automated CDS content development that predicts future or missing clinical orders includes association rules, nearest neighbors, logistic regression, Bayesian networks, and unsupervised clustering of clinical orders.16–24 Our own preliminary work explored the impact of temporal relationships, alternative measures for uncommon but “interesting” recommendations, and generalization towards predicting clinical outcomes.13,14 Here we provide a more extensive evaluation of these concepts to determine how robust the algorithm is for predicting more varied clinical outcomes, whether it can be improved with different approaches to item counts and score aggregation, and illustrate how
With the clinical item instances following the “80/20 rule” of a power law distribution, most clinical items may be ignored with minimal information loss. In this case, ignoring rare clinical items with <256 instances (0.005% of all instances) reduces the effective item count from >17K to ~1.5K (9%), while still capturing 5.1M (94%) of the 5.4M item instances. Process orders (e.g., vital signs, peripheral intravenous (IV) care, patient weight, regular diet, transport patient, and all PRN medications) were excluded as they generally reflect routine care. The above leaves \( m = 1482 \) distinct clinical items, of which 808 are clinical orders. This reduction greatly improves subsequent algorithm efficiency which requires \( O(m^2) \) space and \( O(q \cdot m \cdot \log m) \) time complexity, where \( q \) is the number of query items considered. Eliminating rare items also avoids bizarre results when there is insufficient data for reliable statistical inference.

Based on Amazon’s recommender method, co-occurrence statistics are precomputed from a random training set of 15,629 patients. This builds an item association matrix based on the definitions in Table 1, from which association statistics and Bayesian conditional probabilities in Table 2 can be estimated. If (repeat) items are counted, the results yield association metrics of support, confidence, and interest. Counting items only once per patient affords a natural interpretation of contingency statistics (e.g., relative ratio [RR], positive predictive value [PPV], baseline prevalence, Fisher’s \( P \)-value) as in Table 3.

Generating and Evaluating Recommendations
To generate patient-specific recommendations, the recommender engine is queried with a patient’s initial clinical items (\( A_1, \ldots, A_q \)) to retrieve statistics from the precomputed association matrix for all possible target items (\( B_1, \ldots, B_m \)) (excluding those already in the query set). Target items are ranked by a score such as ConditionalFrequent(\( B/A \))/\( q \), the maximum likelihood estimator for target item \( B \) occurring after query item \( A \) within time \( t \).

Given \( q \) query items, \( q \) separate lists of scored target items are generated. We evaluated several approaches to aggregating these into a single result list. In example equation (1) below, we use \( \tilde{N}_{ABt} \) as our approximation for the average number of occurrences where target item \( B \) follows any of the \( A_1, \ldots, A_q \) query items within time \( t \). The optional weights \( 1/N_{Bt} \) are inversely proportional to the query item baseline frequencies (lending more weight to less common, more specific query items):

\[
\tilde{N}_{ABt} = \frac{1}{N_{A1t}} \sum_{i=1}^{q} \frac{1}{N_i} \sum_{t=1}^{\tilde{N}} \frac{1}{N_{kt}} N_{kt} n_i
\]  

(1)

A naïve Bayes aggregation approach makes the simplifying assumption that all query items occur independently of one another. This allows us to approximate the post-test probability in equation (2) with equation (3), which is estimated with the (co)-occurrence count statistics. Note that for recommendation ranking purposes, the denominator in (3) can be removed since it is constant for all target items \( B \) considered. Furthermore, it is often necessary to use the logarithm of the product series (i.e., sum of component logarithms) to avoid numerical underflow with extremely small values:

\[
P(B | A_1, \ldots, A_q) = \frac{P(A_1, \ldots, A_q, B)}{P(A_1, \ldots, A_q)} = \frac{P(A_1, \ldots, A_q, B)}{P(A_1, \ldots, A_q)} \cdot P(B) \tag{2}
\]

\[
P(B | A_1, \ldots, A_q) = \prod_{i=1}^{q} P(A_i | B) / \prod_{i=1}^{q} P(A_i) \cdot P(B) \sim \prod_{i=1}^{q} \frac{N_{ki}}{N_i} / \prod_{i=1}^{q} \frac{1}{N_i} \tag{3}
\]

Equations (4)–(6) outline another general approach to estimating the post-test probability of an item \( B \) given the item’s pretest probability and the likelihood ratio for a single diagnostic test (i.e., occurrence of
Table 1: Precomputed clinical item (co)-occurrence count statistics

<table>
<thead>
<tr>
<th>Notation</th>
<th>Definition</th>
</tr>
</thead>
<tbody>
<tr>
<td>( n_A )</td>
<td>Number of instances where item A occurs</td>
</tr>
<tr>
<td>( n_{AB} )</td>
<td>Number of occurrences where item B follows item A within time threshold t</td>
</tr>
<tr>
<td>( N_A )</td>
<td>Number of patients for whom item A occurs</td>
</tr>
<tr>
<td>( N_{AB} )</td>
<td>Number of patients for whom item B follows A within time t</td>
</tr>
<tr>
<td>( N )</td>
<td>Total number of patients</td>
</tr>
</tbody>
</table>

Lowercase values allow for repeat item counting, whereas uppercase values represent patient counts that ignore repeat items per patient.

Equations (4) – (6) include estimates based on (co)-occurrence count statistics:

\[
\text{PreProb} = \text{Pretest probability} = P(B) = \frac{n_{AB}}{N} \tag{4}
\]

\[
\text{PreOdds} = \text{Pretest odds} = \frac{\text{PreProb}}{1 - \text{PreProb}} = \frac{n_{AB}}{N - n_{AB}} \tag{5}
\]

\[
\text{LR}^+ = \frac{\text{Positive Likelihood Ratio}}{1 - \text{Specificity}} = \frac{P(A|B)}{P(A|\neg B)} \sim \frac{N_{AB}}{N - N_{AB}/N - N_{\neg B}} \tag{6}
\]

\[
\text{PostOdds} = \text{Post test odds} = \text{PreOdds} \times \text{LR}^+ \tag{7}
\]

(Assumes positive test result. In this context, meaning that query item A occurred.)

\[
\text{PostProb} = \text{Post test probability} = \frac{\text{PostOdds}}{1 + \text{PostOdds}} \tag{8}
\]

A serial Bayes aggregation approach uses the above equations with a similar simplifying assumption of independent query items. If the presence of each query item is considered a positive independent diagnostic test for the target item, the post-test probability from one test can be used as the pretest probability for the next test. This allows for the overall post-test odds for target item B to be calculated from a serial product of likelihood ratios as in equation (9):

\[
\text{PostOdds} \sim \text{PreOdds} \times \prod_{j=1}^{a} \text{LR}^+ \sim \frac{N_B}{N - N_B} \times \prod_{j=1}^{a} \left( \frac{N_{AB}}{N - N_{AB}/N - N_{\neg B}} \right) \tag{9}
\]

While there is no well accepted notion of recommendation quality, accurately predicting subsequent items (Figure 2) is the most commonly
used metric that correlates with end-user satisfaction.32 For a separate random test set of 1903 patients, we queried different recommender methods with each patient’s first four hours of clinical items (average of 29) to produce a score-ranked list of all other candidate orders. The ranked recommended list is compared against the patient’s actual subsequent orders within the first 24 h (average of 15) in terms of precision (positive predictive value) and recall (sensitivity) at 10 recommendations and receiver operating characteristic (ROC) analysis.

As previously noted,13 standard accuracy measures reward recommendation of likely orders, though they may not make for “interesting” suggestions. To quantitatively recognize recommendations that are more specifically relevant to a query, we introduce alternative metrics of inverse frequency weighted precision and recall, based on the following indicator functions.

\[
TP_i = \begin{cases} 
1 & \text{if recommended item } i \text{ is a true positive, } 0 \text{ if not} \\
0 & \text{if recommended item } i \text{ is a false negative, } 0 \text{ if not} 
\end{cases}
\]

\[
FP_i = \begin{cases} 
1 & \text{if recommended item } i \text{ is a false positive, } 0 \text{ if not} \\
0 & \text{if recommended item } i \text{ is a false negative, } 0 \text{ if not} 
\end{cases}
\]

\[
FN_i = \begin{cases} 
1 & \text{if recommended item } i \text{ is a false negative, } 0 \text{ if not} \\
0 & \text{if recommended item } i \text{ is a false positive, } 0 \text{ if not} 
\end{cases}
\]

standard and inverse frequency weighted metrics are defined below for \(k\) recommendations, with the latter components weighted by the inverse baseline frequency of each item \(i = (N_i/N_i)\). The common constant factor \(N\) will cancel out in the ratio to yield a weighting factor of \((1/N)\).

**Table 2: Association statistics and Bayesian probability estimates based on count statistics.**

<table>
<thead>
<tr>
<th>Metric</th>
<th>Related probability</th>
<th>Estimate</th>
<th>Notes</th>
</tr>
</thead>
<tbody>
<tr>
<td>BaselineFreq</td>
<td>(P(B))</td>
<td>(n_B/N)</td>
<td>Counting repeat items allows values &gt; 1.0. Interpreted as average number of times (B) occurs per patient.</td>
</tr>
<tr>
<td>“Support”</td>
<td>(P(AB))</td>
<td>(n_{AB}/N)</td>
<td>Not quite joint probability because (n_{AB}) is a directed count where item (A) occurs before (B), within time (t).</td>
</tr>
<tr>
<td>ConditionalFreq “Confidence”</td>
<td>(P(B</td>
<td>A) = P(AB)/P(A))</td>
<td>(n_{AB}/n_A)</td>
</tr>
<tr>
<td>FreqRatio “Lift” “Interest”</td>
<td>(P(B</td>
<td>A) * 1/P(B) = P(AB)/P(A)*P(B))</td>
<td>((n_{AB}/n_A)/(n_B/N))</td>
</tr>
<tr>
<td>Prevalence Pre-test probability</td>
<td>(P(AB))</td>
<td>(n_{AB}/N)</td>
<td>Only counts items once per patient. Interpret as percentage of all patients where item (B) occurs.</td>
</tr>
<tr>
<td>Positive predictive value (PPV)</td>
<td>(P(B</td>
<td>A))</td>
<td>(n_{AB}/n_A)</td>
</tr>
<tr>
<td>Post-test probability</td>
<td>(P(B</td>
<td>A) / P(B</td>
<td>A))</td>
</tr>
</tbody>
</table>

By “recommending” the probability of nonorder items such as patient death, need for ICU life support, hospital discharge, and readmission, the system can predict clinical outcomes. Doing so only requires outcome events to be labeled as another clinical item in the patient timeline. For intensive care unit (ICU) life support, a composite clinical item was defined as the occurrence of mechanical ventilation, vasopressor infusion, or continuous renal replacement therapy. Readmission was identified as a sequence of a single discharge order followed by a single admission order. For another random 1897 validation patients, the recommender was queried with the first 24 h of clinical items for the positive predictive value (post-test probability) of each outcome event within \(t\) time. Predicted probabilities were compared against actual events by ROC analysis. Validation patients were excluded if there were insufficient query items or the outcome already occurred within the query 24 h.

**RESULTS**

Tables 4–7 illustrate several example order recommendations. Figure 3 reports which recommender parameters optimize accuracy metrics. Table 8 reports the ROC area-under-curve (AUC) prediction accuracy for several clinical outcomes.
DISCUSSION

Analogous to commercial recommender systems, the described system recommends clinical orders and predicts clinical outcomes based on statistics data-mined from EMRs. Tables 4—7 qualitatively illustrate how ranking orders by maximum likelihood scores of PPV and ConditionalFreq (“Confidence”) can identify likely subsequent orders, though these may not be “interesting” when they substantially overlap with the generic “best seller” list ranked by prevalence or BaselineFreq. Association measures like RR or FreqRatio (“Lift” or “Interest”) rank less common but more specifically relevant items. Table 7 illustrates how patient-specific recommendations are refined with additional query information.

Results in Figure 3A demonstrate that personalizing order recommendations with the ConditionalFreq ranking improves prediction of real clinical order patterns compared to the BaselineFreq benchmark (27—35% precision at 10 recommendations, \( P < 10^{-16} \)) and similarly for PPV compared to prevalence (33—38%, \( P < 10^{-16} \)). With this level of predictive accuracy, it is not appropriate for such algorithms to “auto-pilot” medical decision making. The utility of such an approach must still be to provide relevant information to a human decision maker. In the context of passively providing suggestions to a human user however, these results appear useful when compared to the <33% average total click-through rate for top ten recommended links generated by Google AdWords [46] and <25% for related videos suggested on YouTube (interpolated by the empirically estimated Zipf function \( Y = \beta X^{-\alpha} \) with \( \beta = 5.6\% \) and \( \alpha = 0.78[47] \).

The temporal relationship between clinical item instances is important to improve accuracy, by training the system with an item co-occurrence time threshold \( t \) matching the evaluation time frame. For example, when predicting orders occurring within 24 h of hospitalization, shorter time thresholds (e.g., 2 h) result in the system missing relevant associations outside the threshold, while longer time thresholds (e.g., any time) result in the system being distracted by associations outside the relevant evaluation period.

### Table 4: Top orders by overall prevalence (pretest probability), the generic “best-seller” list.

<table>
<thead>
<tr>
<th>Rank</th>
<th>Description</th>
<th>Prevalence (%)</th>
<th>Baseline Freq</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>Sodium chloride (IV)</td>
<td>90</td>
<td>3.97</td>
</tr>
<tr>
<td>2</td>
<td>CBC with differential</td>
<td>79</td>
<td>2.60</td>
</tr>
<tr>
<td>3</td>
<td>Metabolic panel, basic</td>
<td>77</td>
<td>2.65</td>
</tr>
<tr>
<td>4</td>
<td>Potassium chloride (IV)</td>
<td>68</td>
<td>1.76</td>
</tr>
<tr>
<td>5</td>
<td>Glucose (IV)</td>
<td>60</td>
<td>1.25</td>
</tr>
<tr>
<td>6</td>
<td>Docusate (Oral)</td>
<td>58</td>
<td>1.24</td>
</tr>
<tr>
<td>7</td>
<td>Prothrombin time (PT/INR (International Normalized Ratio))</td>
<td>58</td>
<td>1.93</td>
</tr>
<tr>
<td>8</td>
<td>Physical therapy evaluation</td>
<td>55</td>
<td>1.13</td>
</tr>
<tr>
<td>9</td>
<td>Metabolic panel, comprehensive</td>
<td>55</td>
<td>1.47</td>
</tr>
<tr>
<td>10</td>
<td>Diet NPO (Non per os)</td>
<td>53</td>
<td>1.11</td>
</tr>
</tbody>
</table>

BaselineFreq counts (repeat) items instead of patients. For example, an average of 2.6 orders for CBC (Complete Blood Count) with Differential occurs for all patients, with 79% of patients receiving them.

Methods based on patient counts (i.e., PPV and prevalence) slightly outperform those based on item counts (i.e., ConditionalFreq, BaselineFreq), as they may be less confounded by orders that are used repeatedly for a smaller number of patients. Results from Figure 3A and Table 9 show a slight but consistent improvement in prediction accuracy when weighting query items to favor the influence of less common, more specific items. Despite a more theoretically sound basis, naive Bayes and serial Bayes aggregation methods require greater implementation complexity yet yield no significant accuracy benefit over weighted averaging.

Results from related research generally cannot be compared directly, given different use cases and problem space. Early work illustrated the concept of identifying clinical item associations, but concluded with only descriptive findings of the top associations found [16,19]. Subsequent efforts to predict clinical orders with such methods focused on problem spaces with dozens of possible candidate items [16–23]. The problem space in this manuscript consists of hundreds of candidate orders, resulting in substantially different problem “difficulty” and expected accuracy [48]. Recommendations based on baseline prevalence provide a more consistent internal benchmark, which is also notably much more accurate than random. Prior research to impute missing medications confirms that baseline prevalence can be a difficult benchmark to surpass, with more complex nearest neighbor and regularized logistic regression models not necessarily yielding meaningful improvement [22]. Association rule methods explored here do modestly improve accuracy, though there may be substantial opportunity for further improvement. Research into Bayesian networks appears to improve clinical order prediction accuracy over association rules [21], but the tradeoff in computational complexity appears to require a smaller problem space. Perhaps more importantly, traditional metrics of accuracy may not even reflect the most useful recommendations.

We introduced alternative metrics, the inverted frequency weighted precision and recall, to credit the more compelling prediction of uncommon but “interesting” items (e.g., rifaximin) over common but mundane items (e.g., CBC). Interestingly, Figure 3C indicates that PPV and ConditionalFreq methods still achieve the best weighted precision. Weighted recall is where RR and FreqRatio based methods show substantial improvement (4—16%, \( P < 10^{-16} \)) compared to baseline prevalence or PPV-based predictions. This reinforces the notion that the two approaches satisfy different goals (predicting likely events vs finding “interesting” suggestions).

Table 9 reports the system’s ability to predict clinical outcomes, with only a semantic difference between “predicting outcomes” and “recommending orders.” The system effectively acts as a naive Bayes classifier for individual outcomes, using prior clinical items as features to generate a PPV score. The system yields a prediction ROC AUC (c-statistic) of 0.84 for 30 day mortality, 0.84 for 1 week need for ICU life support, 0.80 for 1 week discharge from the hospital, and 0.68 for hospital readmission. Though different patient populations and evaluation periods prevent direct comparison, these accuracies are on par with state-of-the-art assessment systems. Inverted queries that “recommend” items preceding a clinical outcome event [14] can also effectively act as a tool for feature selection to infer risk factors.

Several limitations in this work will require future study. The primary concern with learning practice patterns from historical data is that it will favor common practices that are not necessarily “correct.” Such a system could theoretically recommend inappropriate orders, resulting in a positive feedback loop that continually reinforces poor decision making into common behavior. While some clinicians will certainly enter inappropriate orders sometimes, Condorcet’s Jury
Theorem posits that aggregating the nonrandom decisions of many converges towards correctness. This is the same basis argument behind the “wisdom-of-the-crowd” and for machine-learning boosting algorithms that generate strong classifiers from individually weak ones. The ability to predict clinical outcomes offers a tempting possibility to link recommendations to favorable outcomes, though this would almost certainly be undermined by patient confounders without effective cohort balancing. We are exploring additional work comparing recommendations against clinical practice guidelines, but ultimately this concern will only be proven or disproven in a prospective clinical trial. Towards that end, we are developing human-computer interface prototypes of the system for simulation testing with real clinicians. This will be necessary to provide more specific evaluation of click through rates, user satisfaction with generated recommendations, and impacts on clinical decision making. In the meantime, the methods developed here can be useful for applications.

Table 5: Top orders occurring within 24 h of an order for Spironolactone (Oral), a diuretic commonly used in the management of heart failure and liver cirrhosis.

<table>
<thead>
<tr>
<th>Rank</th>
<th>Description</th>
<th>PPV (%)</th>
<th>Prevalence (%)</th>
<th>Conditional Freq</th>
<th>Baseline Freq</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>Metabolic panel, basic</td>
<td>42</td>
<td>77</td>
<td>0.41</td>
<td>2.65</td>
</tr>
<tr>
<td>2</td>
<td>Furosemide (Oral)</td>
<td>41</td>
<td>11</td>
<td>0.52</td>
<td>0.31</td>
</tr>
<tr>
<td>3</td>
<td>Magnesium, serum</td>
<td>35</td>
<td>52</td>
<td>0.35</td>
<td>1.84</td>
</tr>
<tr>
<td>4</td>
<td>Prothrombin time (PT/INR)</td>
<td>35</td>
<td>58</td>
<td>0.35</td>
<td>1.93</td>
</tr>
<tr>
<td>5</td>
<td>CBC with differential</td>
<td>31</td>
<td>79</td>
<td>0.28</td>
<td>2.60</td>
</tr>
<tr>
<td>6</td>
<td>Potassium chloride (Oral)</td>
<td>28</td>
<td>27</td>
<td>0.34</td>
<td>0.82</td>
</tr>
<tr>
<td>7</td>
<td>Furosemide (IV)</td>
<td>27</td>
<td>17</td>
<td>0.35</td>
<td>0.84</td>
</tr>
<tr>
<td>8</td>
<td>Pantoprazole (Oral)</td>
<td>24</td>
<td>38</td>
<td>0.19</td>
<td>0.62</td>
</tr>
<tr>
<td>9</td>
<td>CBC</td>
<td>24</td>
<td>53</td>
<td>0.20</td>
<td>1.50</td>
</tr>
<tr>
<td>10</td>
<td>Sodium chloride (IV)</td>
<td>23</td>
<td>90</td>
<td>0.19</td>
<td>3.97</td>
</tr>
</tbody>
</table>

Results are ranked by PPV (positive predictive value ~ post-test probability), meaning 41% of patients subsequently receive an order for Furosemide (Oral) (another common diuretic), with an average of 0.52 orders per patient (ConditionalFreq = “Confidence”). Related orders include additional diuretics (Furosemide), monitoring of electrolytes affected by diuresis (Magnesium, Serum), and repletion of lost electrolytes (Potassium Chloride). Notably, many of the orders are the same “best-seller” items that are common overall.

Table 6: Top orders occurring within 24 h of Spironolactone (Oral), ranked by Fisher’s exact test P-value, where RR (relative risk)>1.

<table>
<thead>
<tr>
<th>Rank</th>
<th>Description</th>
<th>P-Fisher</th>
<th>RR</th>
<th>PPV (%)</th>
<th>Prevalence (%)</th>
<th>Freq Ratio</th>
<th>Conditional Freq</th>
<th>Baseline Freq</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>Furosemide (Oral)</td>
<td>6.E-87</td>
<td>4.0</td>
<td>41</td>
<td>11</td>
<td>1.7</td>
<td>0.52</td>
<td>0.31</td>
</tr>
<tr>
<td>2</td>
<td>Carvedilol (Oral)</td>
<td>2.E-27</td>
<td>3.1</td>
<td>19</td>
<td>7</td>
<td>1.0</td>
<td>0.19</td>
<td>0.18</td>
</tr>
<tr>
<td>3</td>
<td>Digoxin (Oral)</td>
<td>1.E-25</td>
<td>4.4</td>
<td>12</td>
<td>3</td>
<td>1.8</td>
<td>0.12</td>
<td>0.07</td>
</tr>
<tr>
<td>4</td>
<td>Rifaximin (Oral)</td>
<td>1.E-16</td>
<td>5.5</td>
<td>6</td>
<td>1</td>
<td>1.9</td>
<td>0.07</td>
<td>0.03</td>
</tr>
<tr>
<td>5</td>
<td>Furosemide (IV)</td>
<td>1.E-11</td>
<td>1.7</td>
<td>27</td>
<td>17</td>
<td>0.4</td>
<td>0.35</td>
<td>0.84</td>
</tr>
<tr>
<td>6</td>
<td>Sildenafil (Oral)</td>
<td>1.E-10</td>
<td>5.4</td>
<td>4</td>
<td>1</td>
<td>1.6</td>
<td>0.04</td>
<td>0.03</td>
</tr>
<tr>
<td>7</td>
<td>Propranolol (Oral)</td>
<td>7.E-10</td>
<td>3.6</td>
<td>5</td>
<td>2</td>
<td>1.4</td>
<td>0.05</td>
<td>0.04</td>
</tr>
<tr>
<td>8</td>
<td>Lactulose (Oral)</td>
<td>7.E-09</td>
<td>2.4</td>
<td>8</td>
<td>4</td>
<td>1.2</td>
<td>0.12</td>
<td>0.10</td>
</tr>
<tr>
<td>9</td>
<td>PoC (Point of Care)</td>
<td>3.E-08</td>
<td>3.9</td>
<td>4</td>
<td>1</td>
<td>0.8</td>
<td>0.11</td>
<td>0.14</td>
</tr>
<tr>
<td>10</td>
<td>Diet Sodium Restricted</td>
<td>3.E-08</td>
<td>1.6</td>
<td>20</td>
<td>13</td>
<td>0.6</td>
<td>0.15</td>
<td>0.24</td>
</tr>
</tbody>
</table>

Furosemide (Oral) is 4.0 times more likely to be ordered after Spironolactone than if Spironolactone was not ordered. This correlates to the FreqRatio = “Lift” = “Interest” indicating Furosemide (Oral) is ordered 1.7 times more often after Spironolactone than for all patients. Even without a clinical diagnosis or patient history, this example illustrates how a clinical order (i.e., spironolactone) is itself predictive of other orders specifically relevant to the implied clinical scenarios. For example, furosemide, carvedilol, digoxin, and sodium restriction are used to manage congestive heart failure, while furosemide, rifaximin, propranolol, and lactulose all help manage complications of liver cirrhosis (ascites, hepatic encephalopathy, and esophageal varices). A less obvious suggestion is sildenafil, likely based on its concurrent use for pulmonary hypertension.
ranging from patient risk stratification to practice pattern analysis to computer-aided drafting of decision support rules.

CONCLUSIONS

Collaborative filtering methods successful in non-biomedical domains can automatically generate CDS from historical practice data in the form of order recommendations. Clinical orders can be both results and predictive features for other clinical decisions and outcomes. Association-based recommendations are predictive of real practice patterns and clinical outcomes as compared to baseline benchmarks. Temporal relationships are important to improve accuracy. Different evaluation metrics will satisfy different query goals to either predict likely events or find “interesting” suggestions. This work represents another step towards real-time CDS tools that will unlock the Big Data potential of EMRs, uniquely tying together the afferent and efferent limbs of a learning health system.
Figure 3: (A) – Accuracy of clinical order recommendations using different parameters. For 1903 validation patients, clinical items from the first 4 h of their hospital encounter are used to query for a ranked list of clinical order recommendations. Each recommended list is validated against the actual set of new orders occurring within 24 h of hospitalization. Metrics include average receiver operating characteristic area under curve (ROC AUC) (c-statistic) and top 10 recommendation precision (positive predictive value) and recall (sensitivity). Ranking by BaselineFreq serves as a reference benchmark. ConditionalFreq methods are further refined by what time threshold \( t \) was used when counting item co-occurrences. The Prevalence (pretest probability) and PPV (positive-predictive value ~ post-test probability) methods are directly analogous to BaselineFreq and ConditionalFreq, except they count patients with item co-occurrences, ignoring repeat items. Two-tailed, paired \( t \)-tests for the first row results compared to the BaselineFreq benchmark all yield \( P < 10^{-16} \), while second row results compared to the Prevalence benchmark all yield \( P < 10^{-10} \). (B) Accuracy of clinical order recommendations/predictions using simple unweighted averaging vs the default weighted averaging of underlying count statistics to favor the influence of less common, more specific query items. Two-tailed, paired \( t \)-tests of respective unweighted vs weighted aggregation methods all yield \( P < 10^{-27} \). (C) Inverse frequency weighted accuracy of clinical order recommendations, all using a time threshold \( t = 1 \) day and considering the top 10 recommendations. Two-tailed, paired \( t \)-tests for first row results compared to the ConditionalFreq(Day) method all yield \( P < 10^{-29} \), while second row results compared to the PPV(Day) method all yield \( P < 10^{-16} \).
weighted average methods perform best, though the differences are incremental. Methods that may appear more statistically sound (Naïve Bayes, Serial Bayes) perform no better, limiting the value of their increased implementation complexity.

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COMPETING INTERESTS
The authors have no competing interests to declare.

CONTRIBUTORS
J.H.C. conceived of the study, implemented the algorithms, performed the analysis, and drafted the initial manuscript. T.P. extracted and normalized the contents of the electronic health record data. R.B.A. contributed to algorithm design, analysis design, manuscript revisions, and supervised the study.

REFERENCES